

The importance of the phase function for
both limb scattering aerosol extinction
retrievals and estimations of the energy
balance effects

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Photo credit: NASA, STS-116 crew

Outline

- How has limb scattering data traditionally been used to characterize stratospheric aerosols?
- What value can we add by combining:
 - Solar occultation (SO) data for extinction properties &
 - Limb scattering (LS) + LIDAR data for scattering properties?
- How can the sensitivity of LS and LIDAR measurements to the aerosol size distribution (ASD) be put to good use?
- What is the scientific value of the aerosol phase function?
- Conclusions and acknowledgements

What stratospheric aerosol properties must we monitor?

- Example: How much solar radiation does the stratospheric aerosol layer reflect back to space?
- *To answer this question, we primarily need to know:*
 1. How much aerosol scattering occurs per unit of path length?
(quantified by its *extinction coefficient*, β)?
 2. How is the light scattered by aerosols distributed into various directions?
(quantified by its *phase function*, P)?

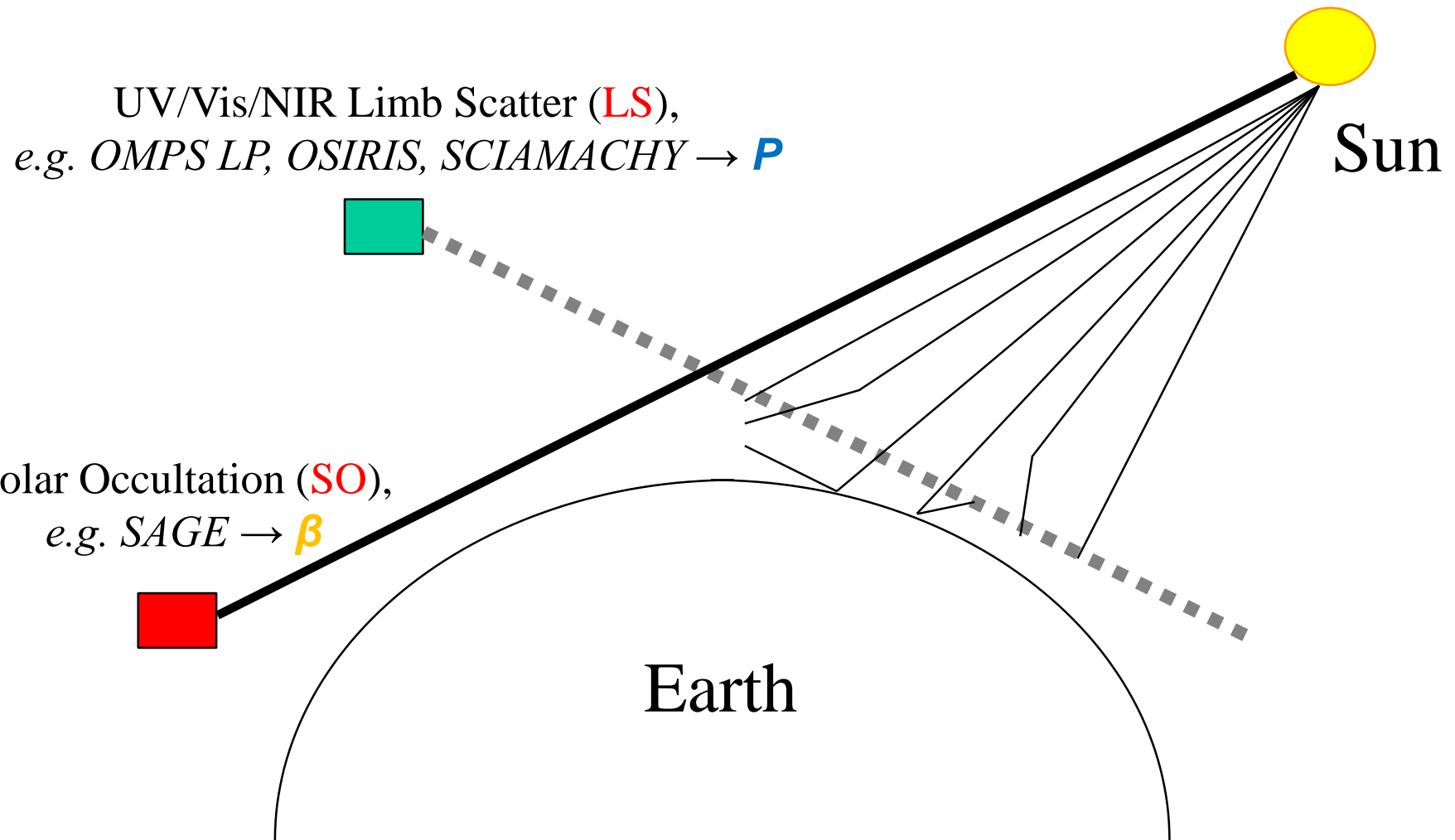
Simplifying assumptions

- Tackle the easiest problem first, and characterize stratospheric aerosols under the simplest possible conditions:
 - An *optically thin* aerosol layer...
 - That is *horizontally homogeneous*...
 - & is composed of *spherical, sulfuric acid droplets*.
- So we're focused primarily on "background" aerosol conditions (perhaps including "aged volcanic" aerosol)
- *Fresh* volcanic plumes often violate all of the criteria above, and represent a much more difficult problem

A simplified history of satellite stratospheric aerosol measurements

- *1980 – early 2000s*: We had SAGE (SO) observations, but no consistent LS measurements
 - SO measures transmission directly (providing β), but tells us nothing at all about P .
- *Early 2000s – 2016*: We had several missions providing LS observations ... but no SO measurements
 - LS observations provide much better global coverage... but also are more difficult to interpret
- *February 2017*: SAGE III returns (with both SO and LS measurement modes), + OMPS LP and OSIRIS are still active!
 - So... what can we do with this new combination?

Complementary SO and LS measurements



Ambiguous LS stratospheric aerosol information

- LS observations are influenced by both the extinction and scattering properties of the particles
- The aerosol contribution to the LS radiance scales roughly with the product ($\beta \times P$)
- Often, LS observations have been *interpreted* by **assuming** P in order to **infer** β
- We've tried to learn more from LS observations of $\beta(\lambda)$... but (as learned from SAGE SO studies, and reiterated by Larry yesterday), the wavelength variation of $\beta(\lambda)$ in the 0.5 – 1 μm region contains limited ASD information.

Caveats for LS ASD assumptions

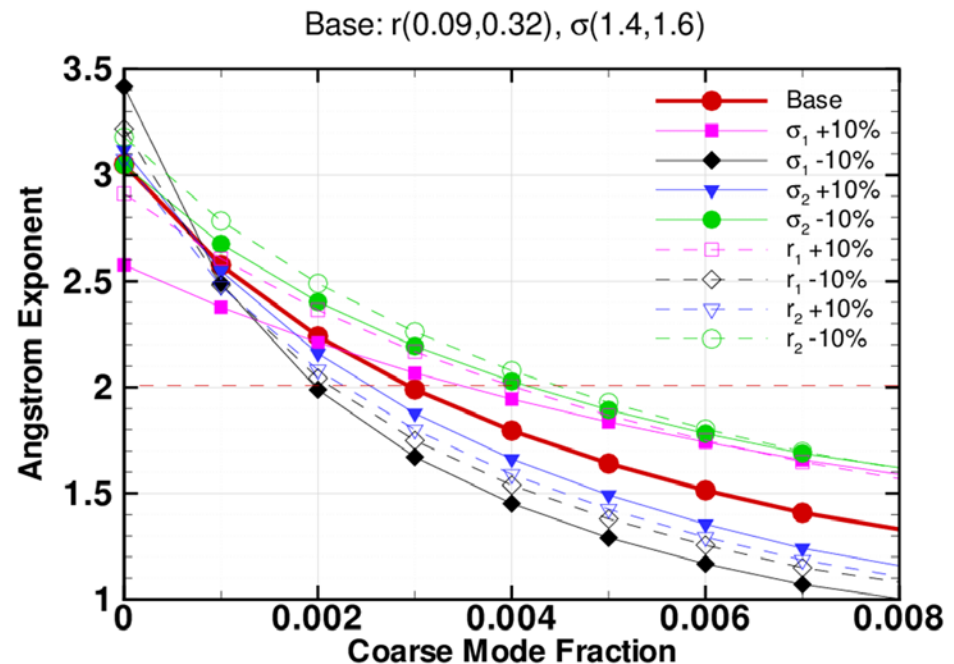
- Of course, a single ASD cannot be correct at all geographic locations, times & altitudes
- Many of the ASDs assumed in LS missions are based on the U. of Wyoming OPC fits, from various places and times
 - But all were defined prior to the corrections proposed by Kovilakam and Deshler (2015)
 - And all were defined without the recently-added size bin near $r \sim 0.075 \mu\text{m}$
 - We are particularly sensitive to the **coarse mode fraction (CMF) & the number of particles near $r \sim 0.1 \mu\text{m}$**

Origin of the V1 OMPS LP ASD

- Guided by the SPARC ASAP report (2006), we sought a bi-modal log-normal ASD, consisting of:

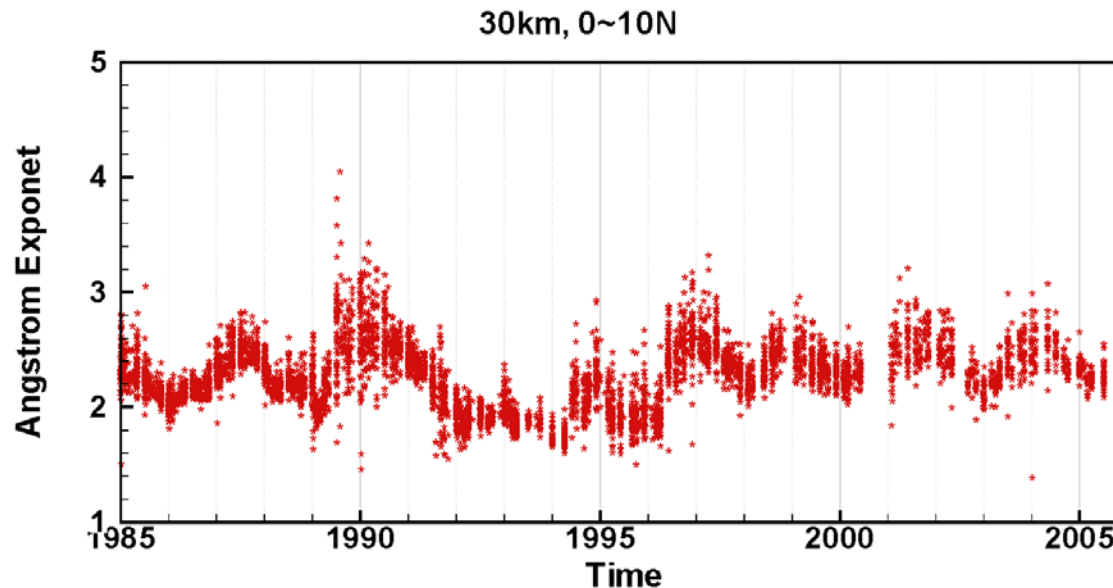
A dominant fine mode (background aerosols), +
a small coarse mode
(relatively fresh volcanic aerosols)

- The coarse mode fraction (**CMF**) indicates the relative concentrations of the 2 modes, and greatly influences the Angstrom exponent α :



Scale CMF using SAGE II α

- SAGE II V7 aerosol data frequently show Angstrom exponent $\alpha(525/1020) \approx 2$ for “background” aerosol
 - Drop cases with $\beta(1020 \text{ nm}) < 4 \times 10^{-6} \text{ km}^{-1}$
 - Quality control (L. Thomason, private communication)
 - Correlation between $\beta(525 \text{ nm})$ & $\beta(1020 \text{ nm})$ declines when $\beta(1020 \text{ nm})$ is too small





ASD issues for LS missions

1. If the assumed P is incorrect by $+X\%$, this will produce a compensating error $\approx -X\%$ in the retrieved β . (True for V1.4 SCIAMACHY and V1 OMPS LP; less true for OSIRIS V5.07, which uses a 750/470 wavelength pair.)
2. As Ghassan showed yesterday, OMPS LP β retrievals show poor self-consistency (in ascending vs. descending node comparisons, for example).

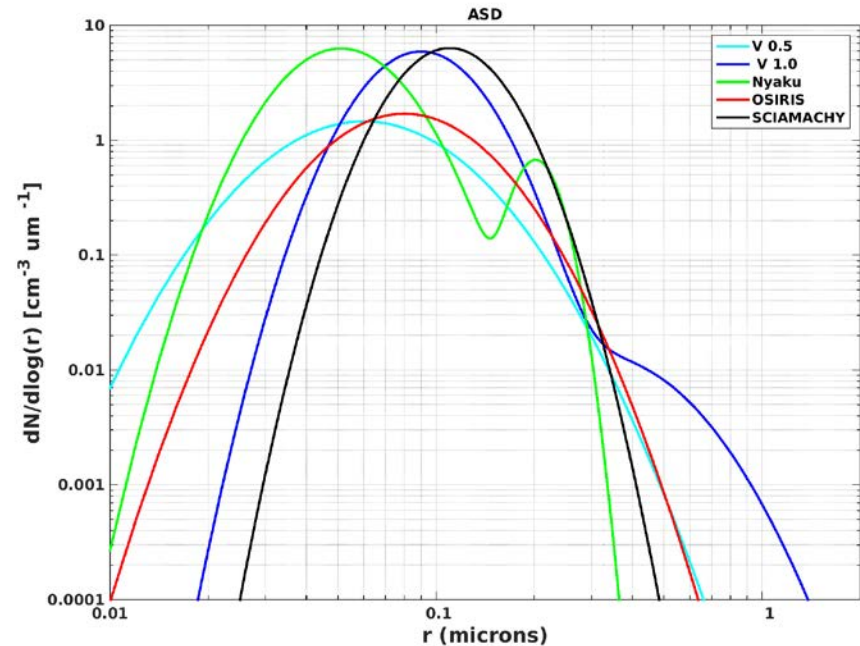
So it appears that we need to improve our assumed P (by changing our assumed ASD), but how?

Observe the behavior of P for the LS ASDs assumed now...

Assumed log-normal aerosol size distributions (ASD) for LS missions

	Source	r_0 (μm)	σ	α
OMPS (V0.5)	Loughman et al. (2015)	0.06	1.73	2.34
OSIRIS (V5)	Bourassa (2007)*	0.08	1.6	2.44
SCIA (V1.1)	Von Savigny et al. (2015)*	0.11	1.37	2.82
Nyaku	Nyaku (2016)*	0.05	1.44	2.56
	CMF= 0.04	0.20	1.15	
OMPS (V1.0)	Pueschel et al. (1994)†	0.09	1.4	2.00
	CMF = 0.003	0.32	1.6	

Loughman et al. (2017), AMTD

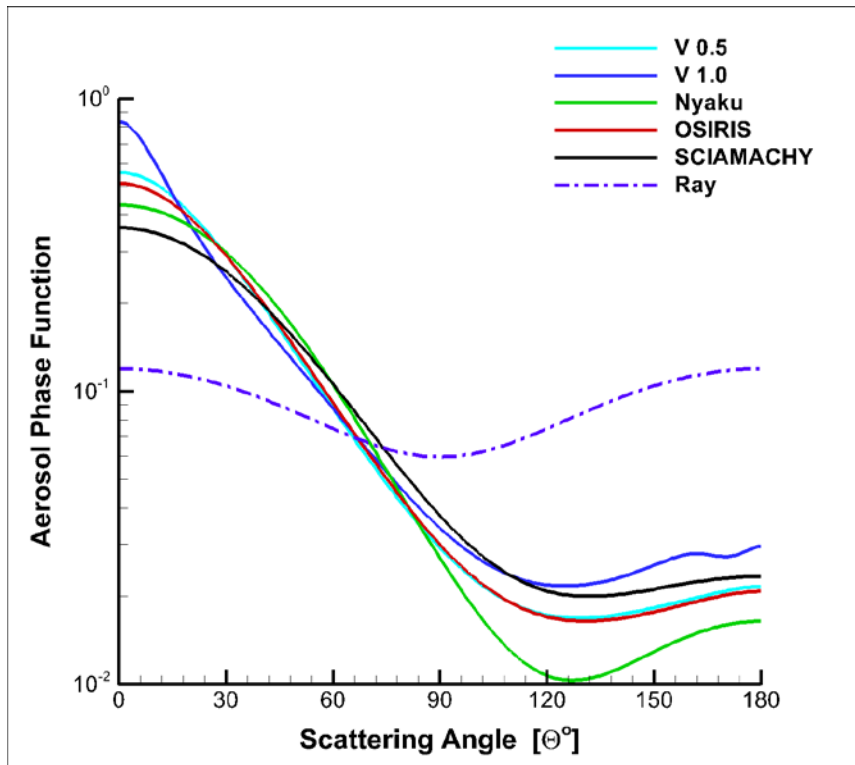


How do these ASD differences affect $P(\lambda=675 \text{ nm})$, for spherical sulfate aerosols?

$$\alpha(525/1020) = \frac{-\ln[\beta(525)/\beta(1020)]}{\ln[525/1020]}$$

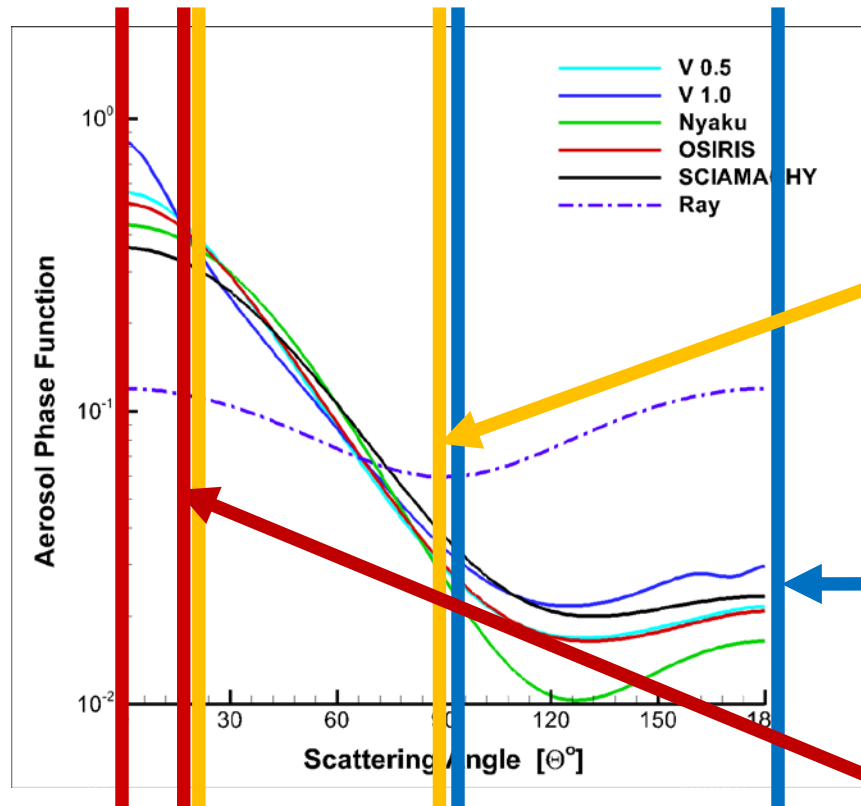
* = derived from U. of Wyoming (OPC) data provided by T. Deshler's group

Variation of P for these ASDs



- Consensus for scattering angle $\Theta \approx 30-90^\circ$
- Disagreement \rightarrow 50% or more elsewhere, especially back-scattering P
- Note LIDAR's problem ($\Theta = 180^\circ$)!

Using LS radiances to derive β , P , or neither



For LS retrievals of β despite uncertainty about the true ASD, use *these* Θ . (*N. Hemisphere* for OMPS LP – SAGE III LS opportunity!).

To learn about the ASD from LS observations (through P) instead, *these* Θ values are best. (*S. Hemisphere* for OMPS LP – SAGE III LS opportunity!).

(*These* Θ values are inaccessible for current LS instruments.)

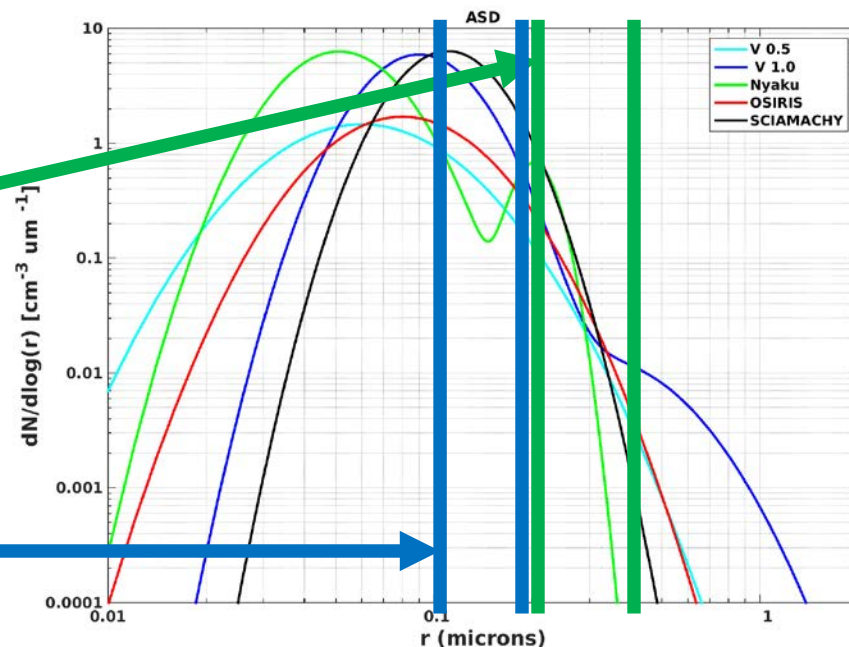
- Consensus for scattering angle $\Theta \approx 30-90^\circ$
- Disagreement \rightarrow 50% or more elsewhere, especially back-scattering P
- Note LIDAR's problem ($\Theta = 180^\circ$)!

ASD influence on α and P

Based on our studies of $\lambda = 675$ nm, we postulate that $\alpha(525/1020)$ depends primarily on particles sizes in the $r \approx 0.2 - 0.4 \mu\text{m}$ range.

While P depends primarily on smaller particles, with $r \approx 0.1 - 0.2 \mu\text{m}$.

So we dug into the information provided by OPC data in the $r \approx 0.1 - 0.2 \mu\text{m}$ particle size range.





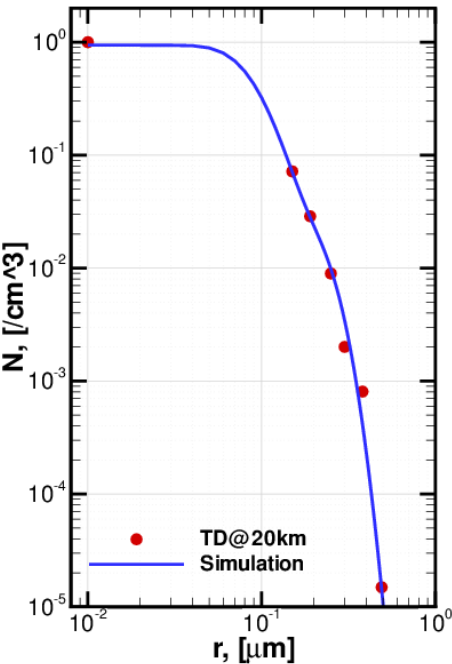
Early conclusions from analysis of OPC data

- For background stratospheric conditions, OPC data often does not provide sufficient information for a robust bi-modal log-normal (5 parameter) fit.
- Therefore the P derived from OPC data is very sensitive to the details of the model used to fit the data, rather than information that the data provides unambiguously.
- These fits can be particularly variable for those key particles with $r \approx 0.1 \mu\text{m}$
- Model simulations (from CARMA) produce ASDs that resemble gamma distributions more closely than bi-modal log-normal distributions in this key $r \approx 0.1 \mu\text{m}$ area

4 bi-modal log-normal fits to OPC data

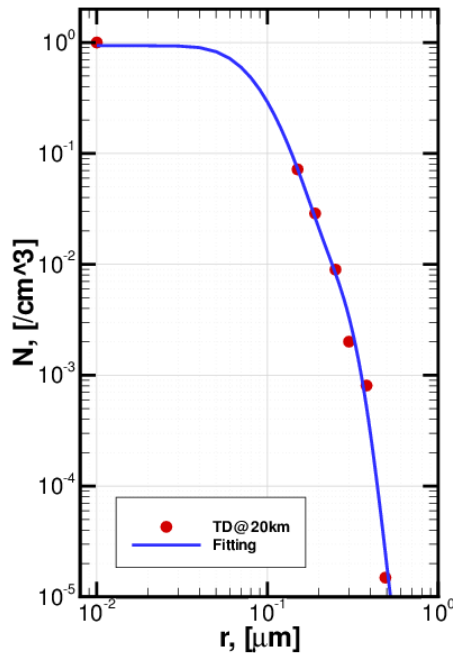
OPC, CMF=0.0195

CMF=0.0195, $r(0.08, 0.238)$, $\sigma(1.45, 1.25)$
AE=2.45



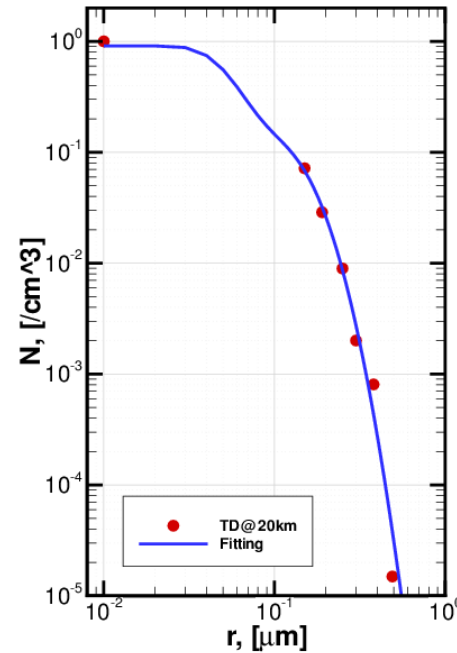
CMF=0.006

CMF=0.006, $r(0.075, 0.28)$, $\sigma(1.56, 1.21)$, AE=2.43



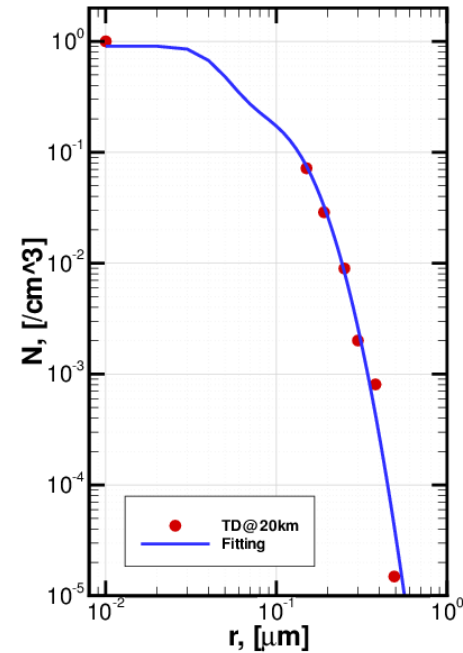
CMF=0.15

CMF=0.15, $r(0.046, 0.14)$, $\sigma(1.45, 1.43)$, AE=2.4



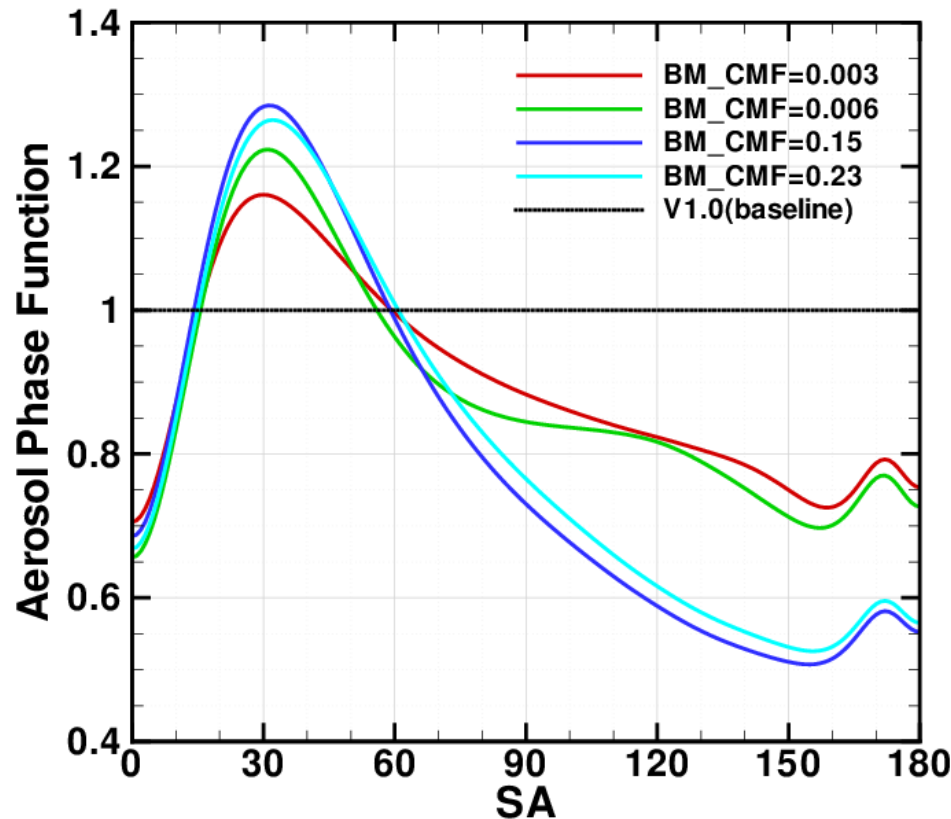
CMF=0.23

CMF=0.23, $r(0.04, 0.12)$, $\sigma(1.43, 1.47)$, AE=2.4



- The 4 fits above (OPC reported + 3 others) all fit the OPC data (•) well, and all give similar $\alpha(525/1020) \approx 2.4$.
- But they differ significantly in the $r \approx 0.1 \mu\text{m}$ OPC data gap region...

Resulting variation of P at 675 nm

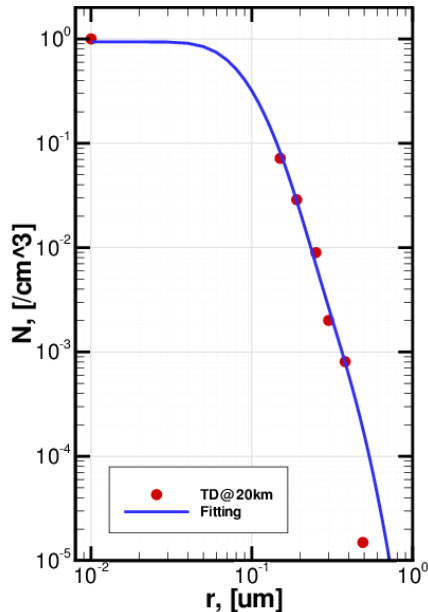


- ...And therefore the P derived from OPC data is very sensitive to the details of the model used to fit the data, especially for $\Theta \approx 30^\circ$ and $\Theta > 90^\circ$.
- And so far, we've only included bi-modal log-normal fits.

Various fits to OPC data (12/4/00)

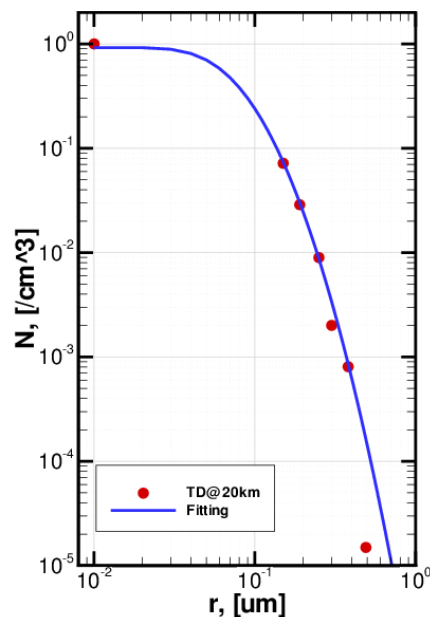
BM

CMF=0.003, $r(0.078, 0.28)$, $\sigma(1.56, 1.40)$, AE=2.36



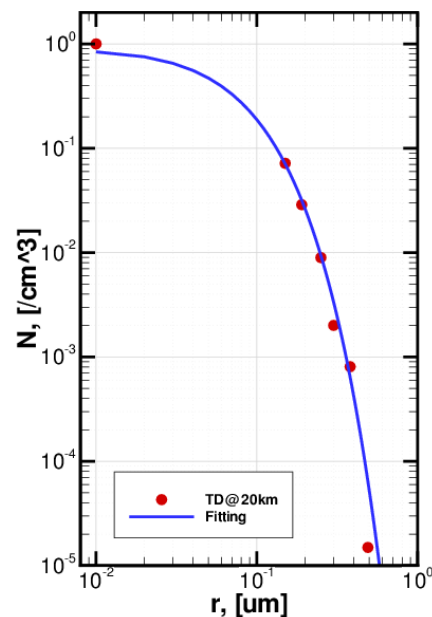
UM

$r=0.065$, $\sigma=1.75$, AE=2.2

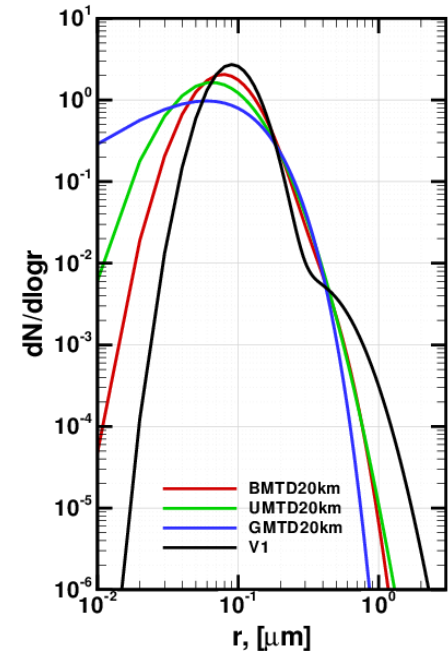


GM

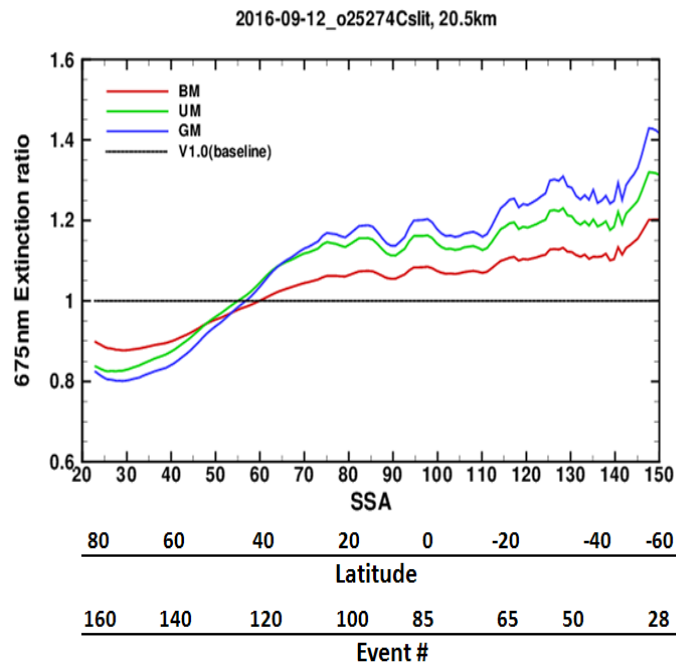
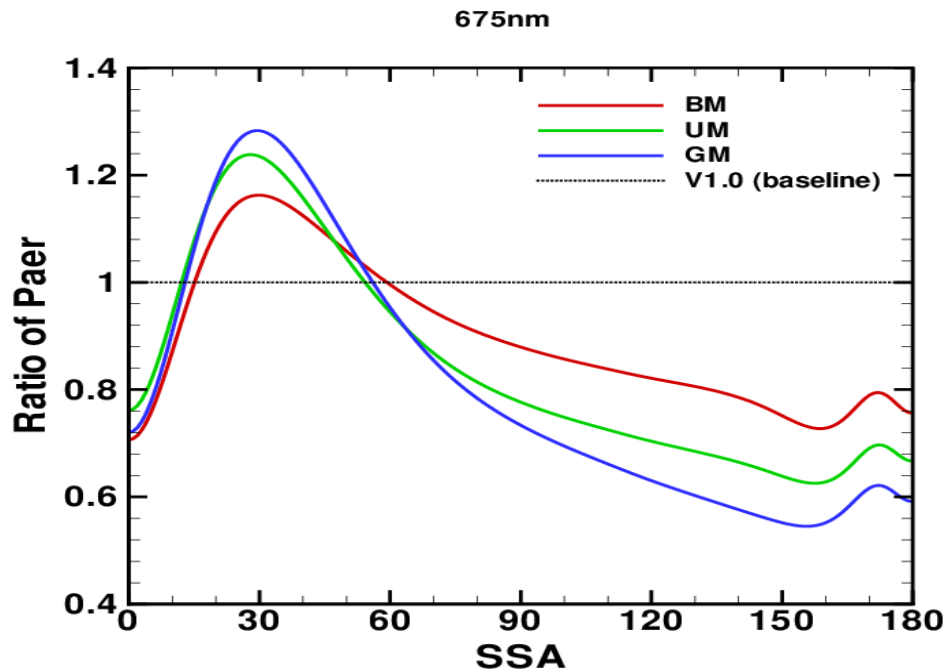
$\alpha=1.28$, $\beta=21.5$, AE=2.3



ASDs

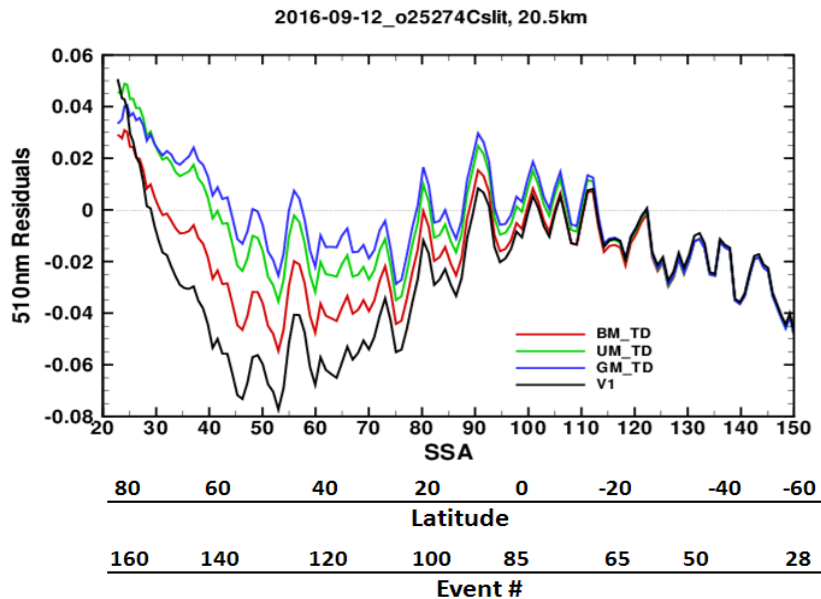


- For a different example, try bi-modal (**BM**), uni-modal (**UM**, 2 parameter) and gamma distribution (**GM**, 2 parameter) fits.
- Examine how the OMPS LP β retrievals respond to this change...

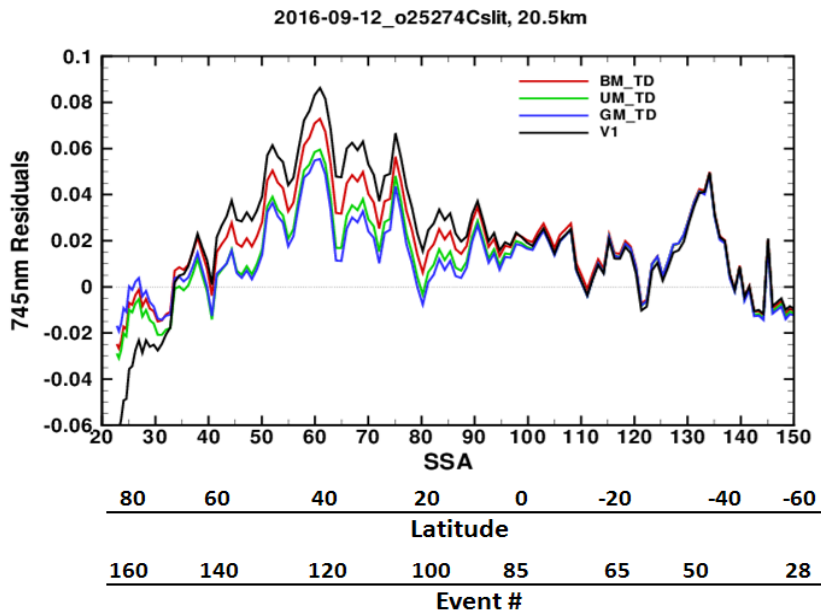


- As expected, there's an inverse relationship between assumed P and retrieved β
- But can we use the OMPS LP data at other wavelengths to help us choose a fit?
- Consider the radiance residuals at non-675 nm wavelengths, assuming various ASDs + Mie theory to characterize $\beta(\lambda)$ and $P(\lambda)$

510 nm residuals



745 nm residuals

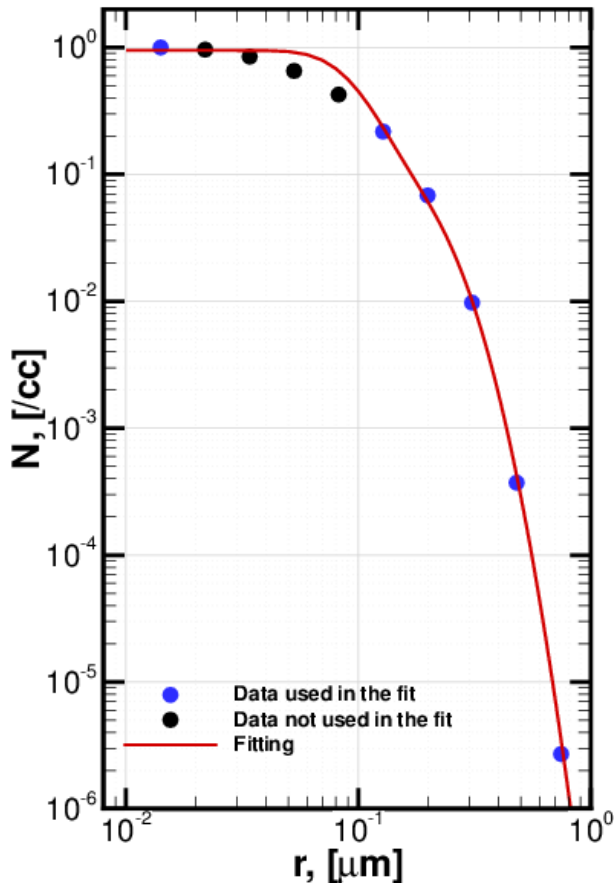


- In this comparison, the **GM** fit best minimizes the 510 and 754 nm residuals (& the V1 and **BM** models are worst).
- Note the competing effects of **$P(\lambda)$** and **$\beta(\lambda)$** : Relatively little residual reduction for large Θ , more significant reduction for $\Theta < 90^\circ$.

- Begin with the ASD produced by the CARMA model at 20 km
- Use various models to fit *only* the size bins available in OPC data... and again, the **GM** fit tracks the “missing” CARMA data best.

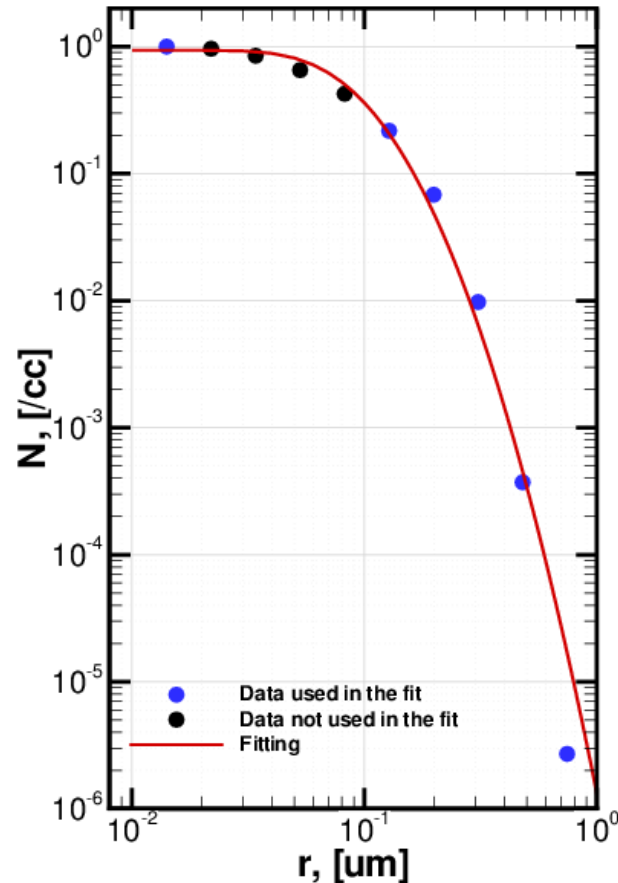
BM

CMF=0.097, $r(0.088, 0.20)$, $\sigma(1.41, 1.39)$, AE=2.4



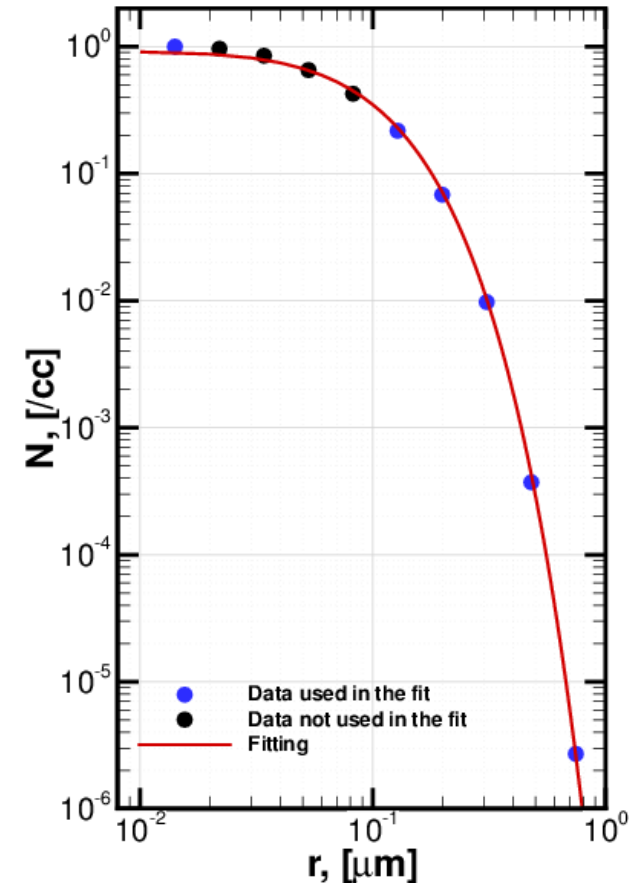
UM

CARMA data @20km, $r=0.08$, $\sigma=1.71$



GM

CARMA data @20km, $\alpha=1.8$, $\beta=20.5$, AE=2.1



Bottom Line

- But focusing on ASD properties is somewhat of a diversion from the questions that most interest me:
- Having actual observations of $P(\theta)$ as it varies (with height, latitude, longitude and time) would provide clear and direct benefits for several problems, in addition to the inherent value of improved ASD knowledge:
 - Improved retrieval of β from LS or LIDAR data
 - Improved estimate of stratospheric aerosol reflection (relative to studies that estimate P , e.g. with constant LIDAR ratio), to guide (or deter) those who might want to “geoengineer.”



Conclusions and Future Plans

- LS and LIDAR retrievals of β show significant sensitivity to the assumed ASD properties, through P (unless $\Theta \approx 60^\circ$)... but those ASD properties clearly vary with space and time.
- OPC data does not always provide sufficient independent information to specify P .
- In-situ measurements, satellite measurements and model calculations of ASD are not easy to reconcile.
- But these “problems” also present an opportunity:
- With the return of SAGE occultation data, we propose to use its retrievals of β as “truth”, then use scattering-based observations (LIDAR, LS, etc.) to estimate P on that basis.



Questions and Acknowledgements

- The resulting P retrievals will contain significant ASD information, and also be valuable in their own right:
- If our knowledge of P (especially for $\Theta > 90^\circ$) is so uncertain, then how can we estimate the cooling effect of stratospheric aerosols well, even if we know β ?
- Thank you to LS colleagues on the OMPS, OSIRIS and SCIAMACHY missions for sharing data and expertise.
- Thank you to Terry Deshler and all of his colleagues for maintaining and sharing their OPC data record.
- Thank you to NASA's OMPS LP Science Team for supporting this work (through SSAI sub-contract 21702-17-010 and its many predecessors).

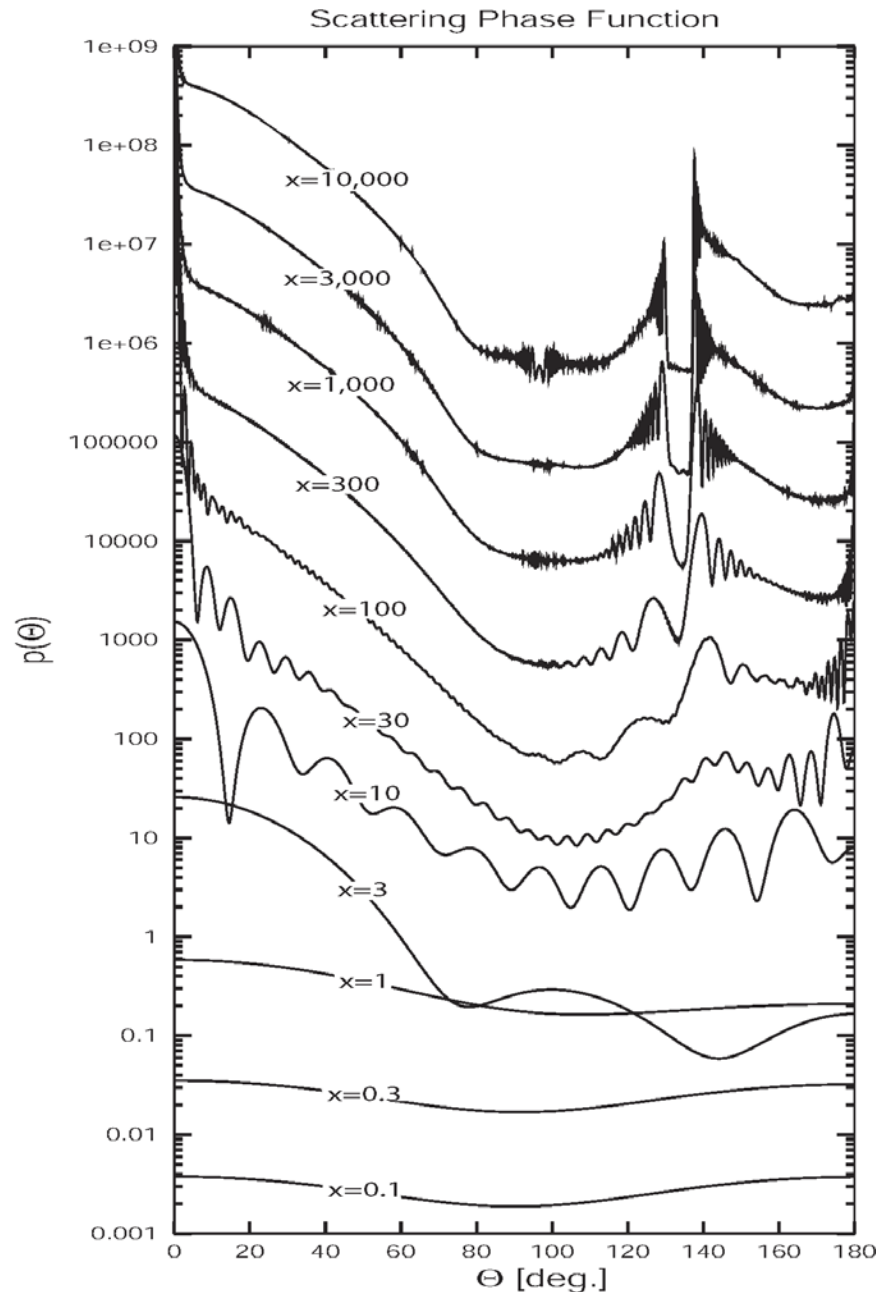
THE END

BACKUP SLIDES

Finally, the best of both worlds

- *February 2017*: SAGE III instrument placed on ISS
- What if we combine SO (SAGE) and LS (OSIRIS, OMPS LP + SAGE) data to retrieve **both** β and P , expanding our knowledge of aerosol picture?
 - Instead of assuming P to infer β from LS measurements, use SO data to provide β , then infer P from LS measurements.
- This mimics (somewhat) the AERONET system for tropospheric aerosols: Solar extinction measurements (for β) combine with almucantar data (for P).

P plots



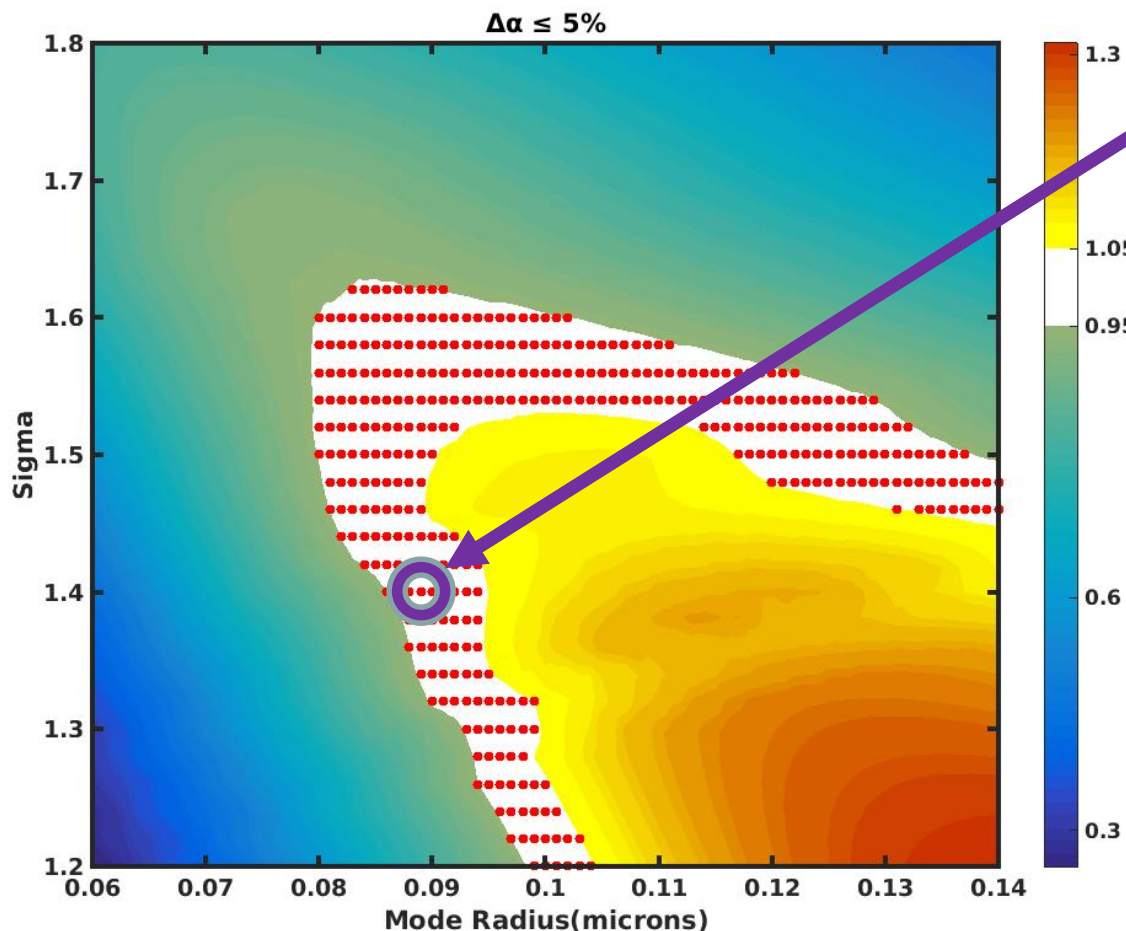
- x = “size parameter”
- $x = \frac{\text{particle circumference}}{\text{radiation wavelength}}$
- Small particles ($x < \sim 1$) scatter \sim isotropically (“Rayleigh scattering”, and have $\alpha \approx 4$)
- Stratospheric aerosols have $0.1 < x < 5$ – large changes occur in both α (0 – 2.5) and scattering phase function **P** (especially in back-scattering directions)

Petty, 2006

Combining β with P

- What can we learn about the ASD by combining β information with P information?
- In the next plots, we **fix C_f + the coarse mode** properties, and **vary the fine mode** properties
- **Red dots on the next page** indicate combinations of (r, σ) for which:
 - Angstrom coefficient $\alpha(525/1020) \approx 2$ (the V1 algorithm value) to within $\pm 5\%$

$\Delta\alpha(521/1020) < 5\%$



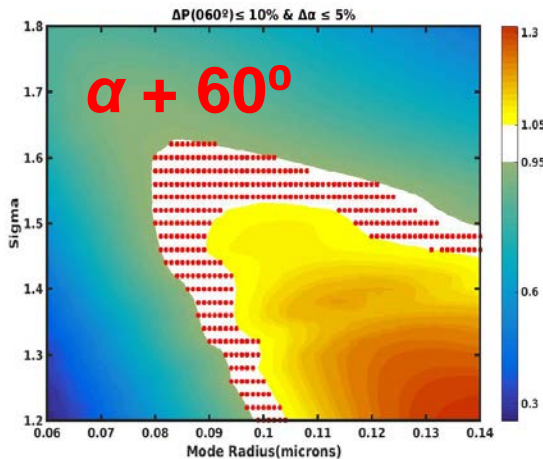
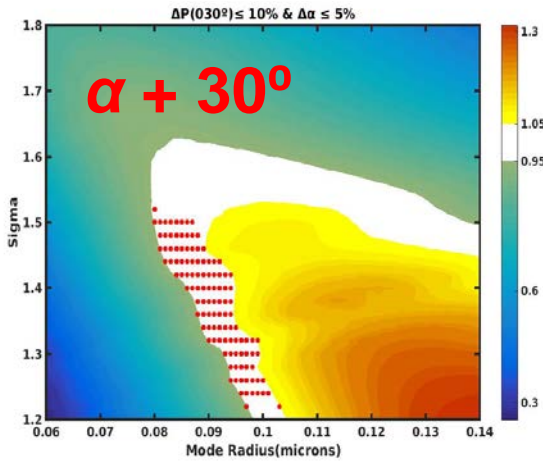
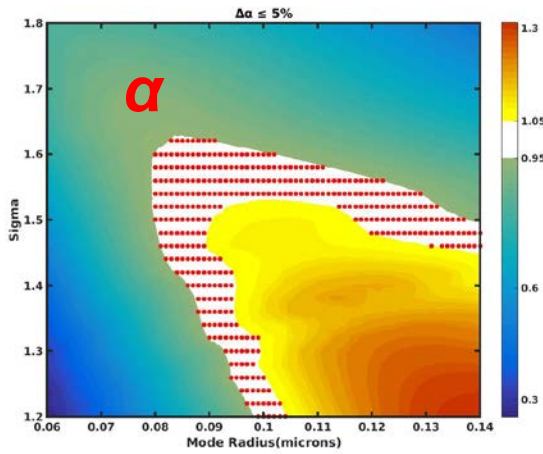
Here is the true
V1 OMPS fine
mode (r_0 , σ)
combination:

(0.09 μm , 1.4)

... but many other
combinations *also*
fit to within 5%!

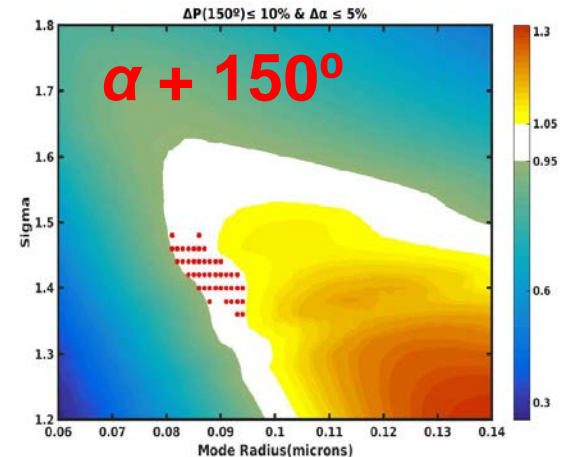
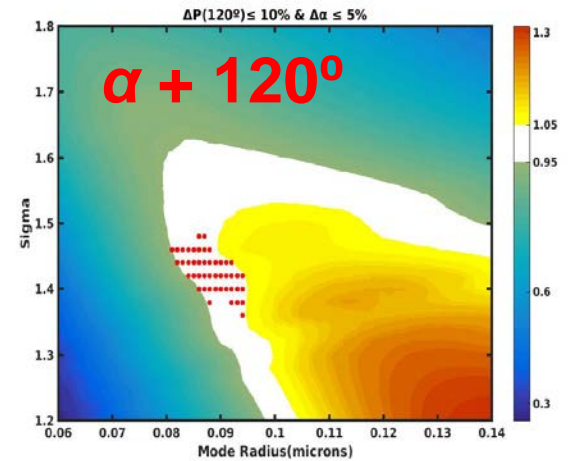
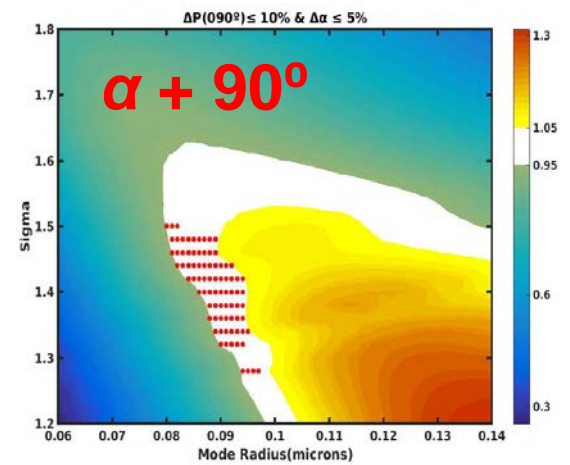
Combining β with P

- What can we learn about the ASD by combining β information with P information?
- In the next plots, we **fix C_f + the coarse mode** properties, and **vary the fine mode** properties
- The upper left corner = a copy of the previous page, indicating combinations of (r, σ) for which:
 - $\alpha(525/1020) \approx 2$ to within $\pm 5\%$
 - For the other plots, we add a second criterion:
 - $P(\Theta, \lambda = 675 \text{ nm})$ matches the V1 value to within $\pm 10\%$



Adding the phase function criterion offers significant additional information, especially for $\Theta > 90^\circ$:

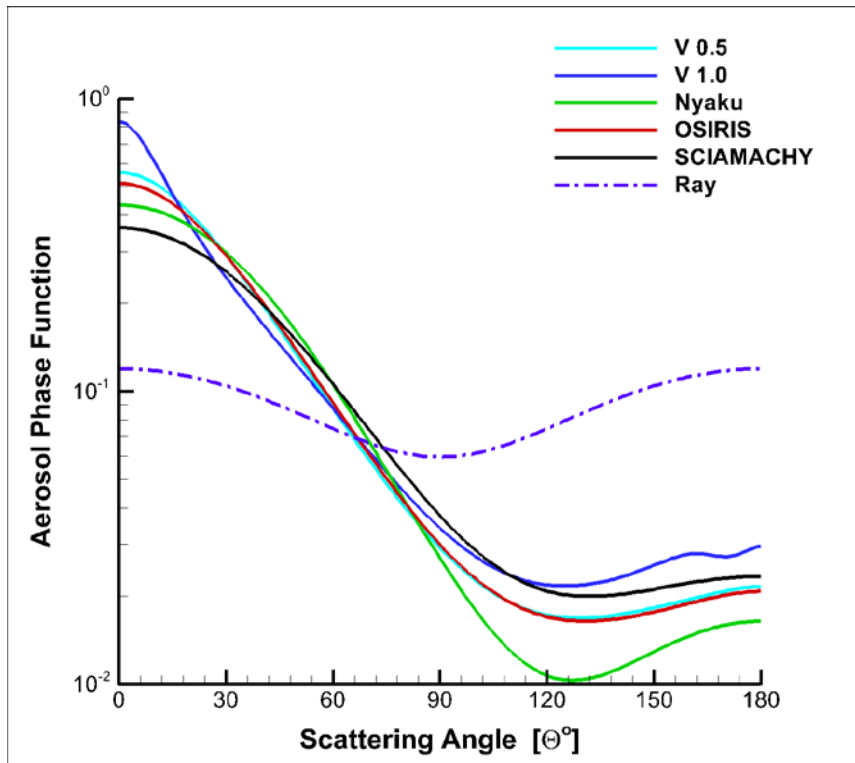
Adding the $\Delta P(\Theta=120^\circ) < 10\%$ criterion eliminates 88% of the fine mode (r_0, σ) combinations that satisfied the $\Delta\alpha$ criterion alone



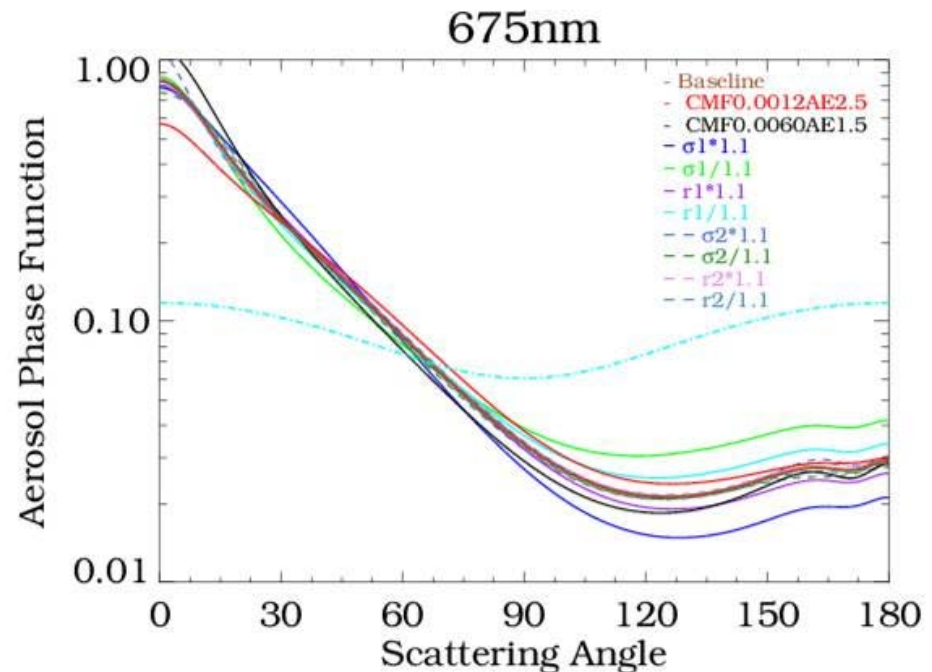
But let me quickly demolish that tidy conclusion...

- Remember that we fixed (i.e., assumed perfect knowledge of) the coarse mode and C_f values
- P observations are less useful for determining the properties of the coarse mode... in the OMPS V1 case
- But the Nyaku dissertation provides a counter-example (greater sensitivity to the coarse mode)...
- So the answer to the question “Which properties are we most sensitive to?” depends on the state of the aerosols at a particular time and place...

Which ASD properties are we sensitive to? That depends...



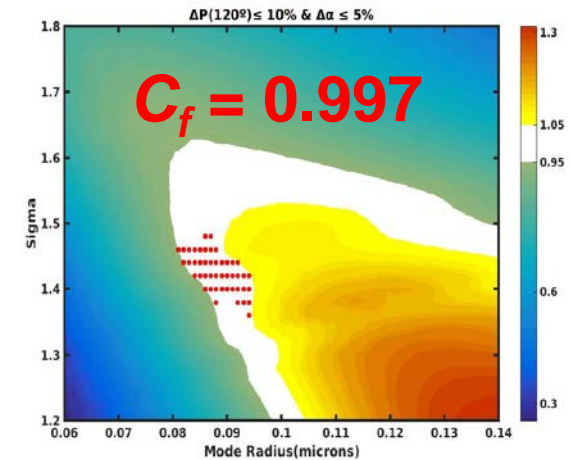
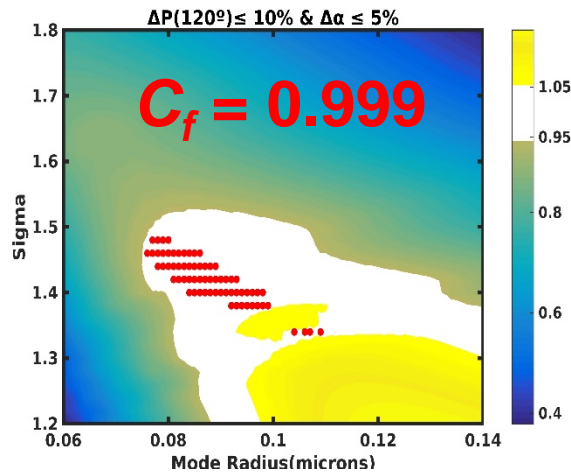
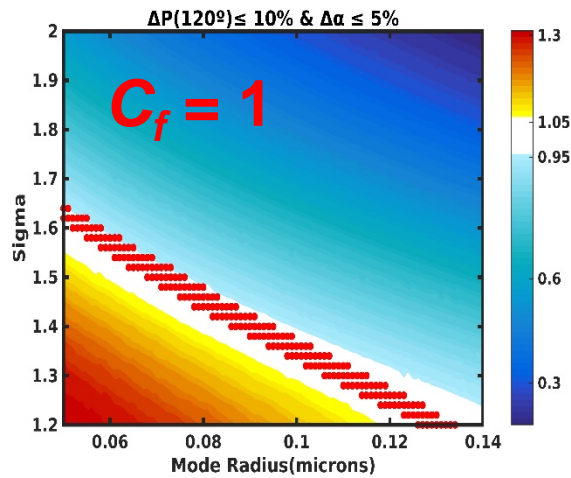
- Consensus for $\Theta \approx 30-90^\circ$
- Disagreement \rightarrow 50% or more elsewhere, especially back-scattering P



- Perturbation analysis of OMPS V1 P shows greatest sensitivity to σ (*fine mode*)
- Nyaku perturbation analysis shows P is most sensitive to σ (*coarse mode*)

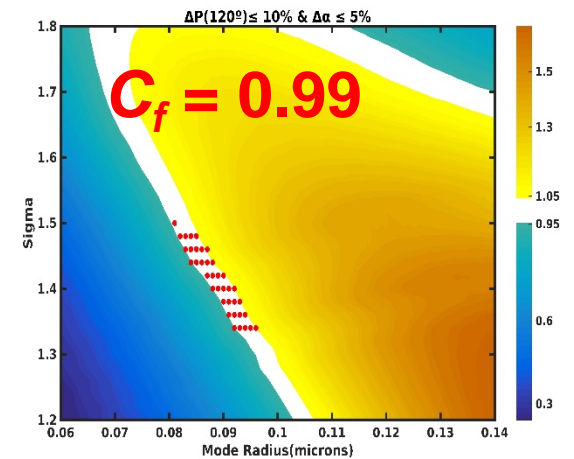
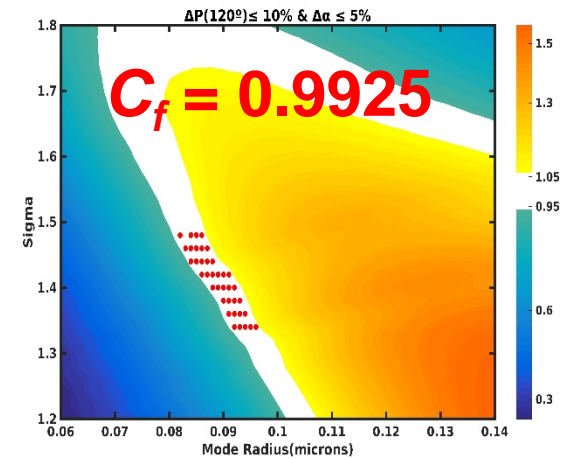
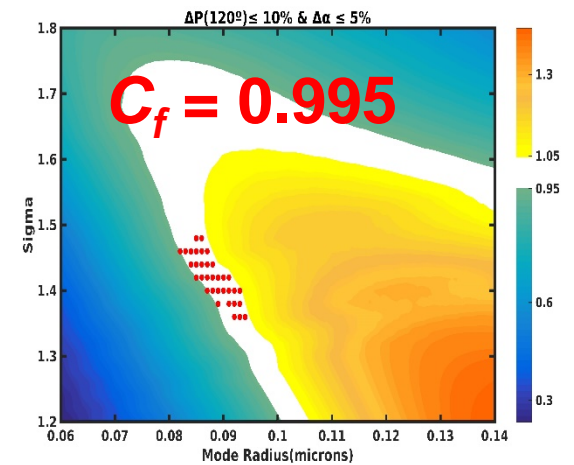
What about C_f ?

- Implications when P is more sensitive to fine mode
 - U of Wyoming OPC data offer just 1 piece of information about aerosols with $r < 0.1$ microns
 - A recent update adds a 2nd piece of information ... but OPC data is still much less sensitive to the fine mode than the coarse mode.
 - α (from SO data) is also more affected by coarse particles
 - But is it realistic to think that we know C_f perfectly? Try varying that ...



The shape of the set of points that satisfies the $\Delta \alpha < 5\%$ criterion changes greatly when the coarse mode is eliminated.

$\Delta P(\Theta=120^\circ) < 10\%$ offers \approx the same high-quality additional information, regardless of the value of C_f



Quick summary of other observations

- Measuring P at additional wavelengths (500-1000 nm) adds little additional information about ASD
- But if we measure P directly, even at just one wavelength, we can better assess whether the ASD is:
 - single-mode,
 - or multi-mode,
 - or maybe not log-normal at all (as some models predict)!

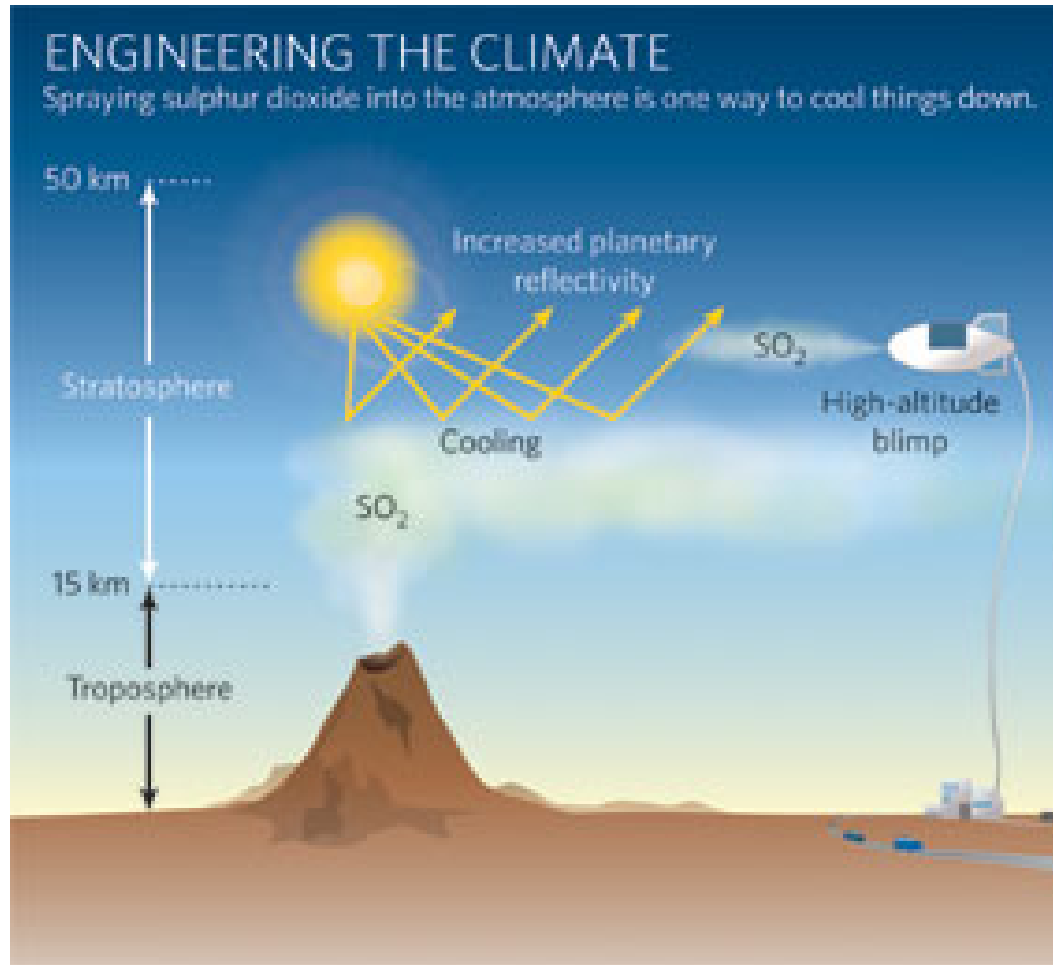
Conclusions and Acknowledgements

- The most useful application of ISS SAGE III LS data is to sample $P(\Theta > 90^\circ)$, especially in the S. Hemisphere.
- OMPS LP, OSIRIS, CALIPSO, etc. *all* provide β estimates that suffer due to significant uncertainty about this quantity.
- Direct observations of $P(\Theta)$ at just one back-scattering angle provides better ASD information than the λ variation of β (at least in the $\lambda = 300\text{-}1000$ nm range).
- Improving $P(\Theta)$ may also improve estimates of the stratospheric aerosol cooling effect.
- Thank you to LS colleagues for sharing data and expertise, + P. Colarco, D. Flittner, NASA's OMPS LP Science Team, and SSAI for support of this work (through sub-contract 21702-17-010 and its many predecessors).

Caveats

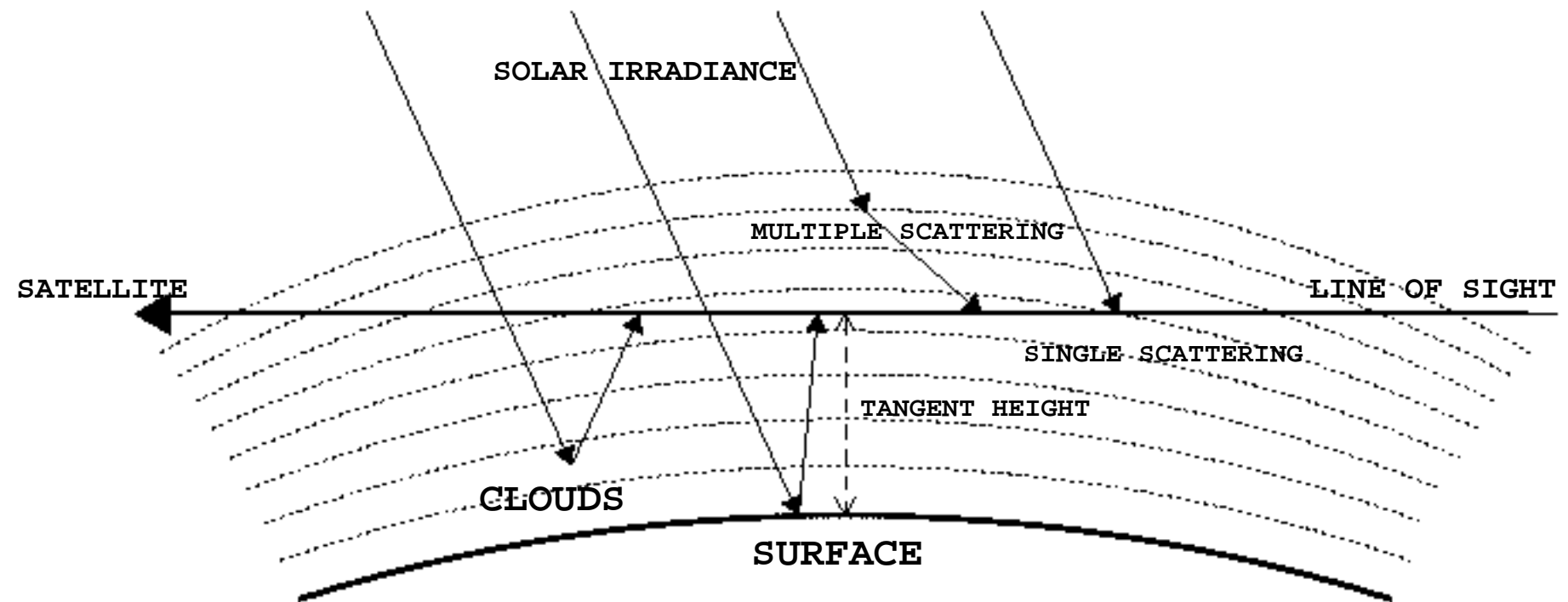
- This can only work with zonal means, etc. (since we aren't measuring β & P simultaneously or coincidentally)
- Need to have homogeneity, etc.
- Note that P is smallest where it's most sensitive to fine mode properties, so assuming 10% accuracy for those angles (150 deg) may be optimistic...
- Suggest looking back at other occultation data from early 2000 – 2016 period (GOMOS, SCIA, others?)

Shading the Earth with aerosols...



- Paul Crutzen recently brought new attention to an old idea:
- “Geoengineering” – in this case, injecting SO_2 to stimulate additional stratospheric aerosols
- This should increase surface cooling, offset global warming
- *Feasible?* Probably.
- *Unintended consequences?* Likely.
- More on this later...

Limb Scattering (LS) Schematic



LS measurements will play a major role in monitoring the stratosphere.

Space Shuttle View of Limb Scatter Observations

